

*****9-CAGE-12*****

Edges of 9-CAGE-12:

| | | | | | |
|----------|----------|----------|----------|----------|----------|
| (49 50) | (15 16) | (11 12) | (12 20) | (45 46) | (40 41) |
| (21 22) | (1 2) | (22 31) | (8 9) | (26 34) | (30 31) |
| (13 14) | (25 54) | (11 52) | (47 48) | (5 6) | (6 7) |
| (39 40) | (54 55) | (27 48) | (39 55) | (13 37) | (9 10) |
| (30 56) | (55 56) | (7 8) | (32 33) | (23 24) | (43 44) |
| (19 20) | (57 58) | (10 28) | (14 15) | (26 27) | (31 32) |
| (51 52) | (27 28) | (29 30) | (35 36) | (6 18) | (40 49) |
| (18 19) | (45 53) | (17 57) | (46 47) | (10 11) | (2 41) |
| (20 21) | (32 51) | (5 33) | (21 47) | (15 24) | (33 34) |
| (29 43) | (1 9) | (2 3) | (44 45) | (53 54) | (34 35) |
| (42 43) | (4 5) | (58 1) | (36 37) | (3 4) | (56 57) |
| (22 23) | (24 25) | (25 26) | (28 29) | (37 38) | (38 39) |
| (8 23) | (48 49) | (35 58) | (36 44) | (19 42) | (50 51) |
| (12 13) | (16 50) | (3 14) | (7 38) | (52 53) | (4 46) |
| (16 17) | (41 42) | (17 18) | | | |

Chromatic polynomial relative the tree basis:

$$\begin{aligned}
 P(9 - CAGE - 12, x) = & \\
 & +1x * (x - 1)^{57} \\
 & -30x * (x - 1)^{56} \\
 & +465x * (x - 1)^{55} \\
 & -4960x * (x - 1)^{54} \\
 & +40920x * (x - 1)^{53} \\
 & -278256x * (x - 1)^{52} \\
 & +1623160x * (x - 1)^{51} \\
 & -8347680x * (x - 1)^{50} \\
 & +38607925x * (x - 1)^{49} \\
 & -163008690x * (x - 1)^{48} \\
 & +635698157x * (x - 1)^{47} \\
 & -2311281635x * (x - 1)^{46} \\
 & +7894236186x * (x - 1)^{45} \\
 & -25487800879x * (x - 1)^{44} \\
 & +78193391098x * (x - 1)^{43} \\
 & -228930857385x * (x - 1)^{42} \\
 & +641968672207x * (x - 1)^{41} \\
 & -1729518312433x * (x - 1)^{40} \\
 & +4487991198303x * (x - 1)^{39} \\
 & -11241535894402x * (x - 1)^{38} \\
 & +27228223632658x * (x - 1)^{37} \\
 & -63865643851917x * (x - 1)^{36} \\
 & +145238080383848x * (x - 1)^{35} \\
 & -320522633871824x * (x - 1)^{34} \\
 & +686910846475130x * (x - 1)^{33} \\
 & -1430244904342747x * (x - 1)^{32} \\
 & +2894050559427442x * (x - 1)^{31} \\
 & -5691433840768474x * (x - 1)^{30} \\
 & +10877057007848754x * (x - 1)^{29} \\
 & -20195356497199048x * (x - 1)^{28} \\
 & +36411714311937736x * (x - 1)^{27} \\
 & -63709140809819891x * (x - 1)^{26} \\
 & +108087594106917528x * (x - 1)^{25} \\
 & -177633147997928667x * (x - 1)^{24} \\
 & +282436426651798167x * (x - 1)^{23} \\
 & -433858846081474477x * (x - 1)^{22} \\
 & +642821034567224041x * (x - 1)^{21} \\
 & -916893075210009592x * (x - 1)^{20} \\
 & +1256275700775483141x * (x - 1)^{19} \\
 & -1649304939197591247x * (x - 1)^{18} \\
 & +2068806301095836261x * (x - 1)^{17} \\
 & -2471212138458205467x * (x - 1)^{16} \\
 & +2800416466704402864x * (x - 1)^{15} \\
 & -2997432271512393824x * (x - 1)^{14} \\
 & +3014868720630146391x * (x - 1)^{13} \\
 & -2832517248117537799x * (x - 1)^{12} \\
 & +2468159916302356501x * (x - 1)^{11} \\
 & -1977736047601966792x * (x - 1)^{10} \\
 & +1442295644719641246x * (x - 1)^9 \\
 & -945043578367728519x * (x - 1)^8 \\
 & +547374809983858615x * (x - 1)^7 \\
 & -274347276252727994x * (x - 1)^6 \\
 & +115583254883988076x * (x - 1)^5 \\
 & -39253771843277984x * (x - 1)^4 \\
 & +10061569608073015x * (x - 1)^3 \\
 & -1727399937345237x * (x - 1)^2 \\
 & +148677080928014x * (x - 1)^1
 \end{aligned}$$

Chromatic polynomial relative the standard basis:

$$\begin{aligned}
P(9 - Cage - 12, x) = & \\
& -29616767065727655700x \\
& +417846957704750090526x^2 \\
& -2967250460823838053182x^3 \\
& +14154499278874134075030x^4 \\
& -51058384228209682384012x^5 \\
& +148616953849737927985057x^6 \\
& -363665928198732454916527x^7 \\
& +769484240233419373242297x^8 \\
& -1436315400313201126427676x^9 \\
& +2405036883520316657346527x^{10} \\
& -3651283127145178872478773x^{11} \\
& +5076042756925831918498890x^{12} \\
& -6511267051698987397216033x^{13} \\
& +7754374419183598585147826x^{14} \\
& -8617023647518275498306284x^{15} \\
& +8971991647092289277535115x^{16} \\
& -8782306202737630330655658x^{17} \\
& +8104266053766249425131999x^{18} \\
& -7066014536858390416997330x^{19} \\
& +5831342235355383045277223x^{20} \\
& -4561500347270099027796392x^{21} \\
& +3385797552464033119304703x^{22} \\
& -2386560703566259771328467x^{23} \\
& +1598367407253142019154220x^{24} \\
& -1017443789433211916113857x^{25} \\
& +615635561600052660738481x^{26} \\
& -354068328566323210157885x^{27} \\
& +193507802574470863056276x^{28} \\
& -100458785275757874283508x^{29} \\
& +49513197326760539859290x^{30} \\
& -23152657351899320222228x^{31} \\
& +10262879600159929729060x^{32} \\
& -4308299578446475842854x^{33} \\
& +1710909182269525809126x^{34} \\
& -641921512018190163417x^{35} \\
& +227221425417514133007x^{36} \\
& -75758339087427754566x^{37} \\
& +23748820791527601203x^{38} \\
& -6985637161580160616x^{39} \\
& +1923699251101104825x^{40} \\
& -494683764252459329x^{41} \\
& +118447936585250493x^{42} \\
& -26322074723711761x^{43} \\
& +5408679045828129x^{44}
\end{aligned}$$

Roots of the chromatic polynomial of 9-CAGE-12:

| | |
|------------------------------|-----------------------------|
| $x - > 0.$ | $x - > 1.63167 + 1.68642I$ |
| $x - > 1.$ | $x - > 1.7835 - 1.61434I$ |
| $x - > 2.$ | $x - > 1.7835 + 1.61434I$ |
| $x - > 2.68328$ | $x - > 1.9271 - 1.53243I$ |
| $x - > -0.666842 - 1.15105I$ | $x - > 1.9271 + 1.53243I$ |
| $x - > -0.666842 + 1.15105I$ | $x - > 2.05664 - 1.44818I$ |
| $x - > -0.41303 - 1.39084I$ | $x - > 2.05664 + 1.44818I$ |
| $x - > -0.41303 + 1.39084I$ | $x - > 2.16746 - 1.36597I$ |
| $x - > -0.179361 - 1.53681I$ | $x - > 2.16746 + 1.36597I$ |
| $x - > -0.179361 + 1.53681I$ | $x - > 2.24979 - 1.27346I$ |
| $x - > 0.038169 - 1.646I$ | $x - > 2.24979 + 1.27346I$ |
| $x - > 0.038169 + 1.646I$ | $x - > 2.32314 - 1.15745I$ |
| $x - > 0.245716 - 1.73586I$ | $x - > 2.32314 + 1.15745I$ |
| $x - > 0.245716 + 1.73586I$ | $x - > 2.39624 - 1.03128I$ |
| $x - > 0.447398 - 1.81325I$ | $x - > 2.39624 + 1.03128I$ |
| $x - > 0.447398 + 1.81325I$ | $x - > 2.46585 - 0.898961I$ |
| $x - > 0.6443 - 1.87268I$ | $x - > 2.46585 + 0.898961I$ |
| $x - > 0.6443 + 1.87268I$ | $x - > 2.5284 - 0.762204I$ |
| $x - > 0.826789 - 1.89283I$ | $x - > 2.5284 + 0.762204I$ |
| $x - > 0.826789 + 1.89283I$ | $x - > 2.58308 - 0.626842I$ |
| $x - > 0.99907 - 1.88391I$ | $x - > 2.58308 + 0.626842I$ |
| $x - > 0.99907 + 1.88391I$ | $x - > 2.62815 - 0.495992I$ |
| $x - > 1.16018 - 1.8505I$ | $x - > 2.62815 + 0.495992I$ |
| $x - > 1.16018 + 1.8505I$ | $x - > 2.65866 - 0.36936I$ |
| $x - > 1.32096 - 1.80443I$ | $x - > 2.65866 + 0.36936I$ |
| $x - > 1.32096 + 1.80443I$ | $x - > 2.67513 - 0.245001I$ |
| $x - > 1.4785 - 1.74949I$ | $x - > 2.67513 + 0.245001I$ |
| $x - > 1.4785 + 1.74949I$ | $x - > 2.6817 - 0.121976I$ |
| $x - > 1.63167 - 1.68642I$ | $x - > 2.6817 + 0.121976I$ |