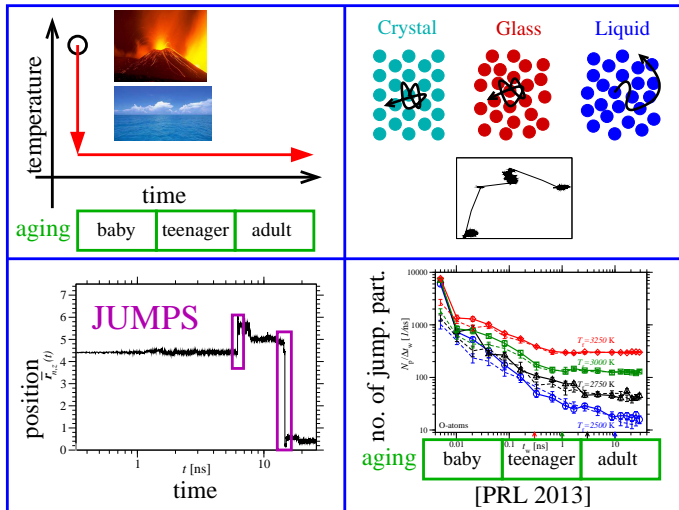


# Katharina Vollmayr-Lee

## Glass Intro & Single Particle Jumps



# Molecular Dynamics Simulation

Initialize:

$$\vec{x}_i(t_0), \vec{v}_i(t_0), \vec{a}_i(t_0)$$

particles  $i=1, \dots, N$   
three dimensions

$$\vec{x}_i(t_0 + \Delta t), \vec{v}_i(t_0 + \Delta t), \vec{a}_i(t_0 + \Delta t)$$

$$\vec{x}_i(t_0 + 2\Delta t), \vec{v}_i(t_0 + 2\Delta t), \vec{a}_i(t_0 + 2\Delta t)$$

etc.

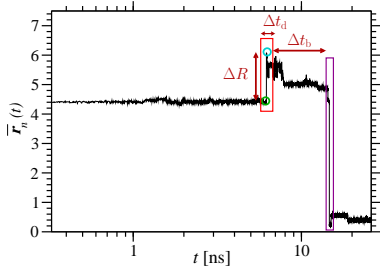
↓ = Iteration Step: (Velocity Verlet)

$$\vec{x}_i(t + \Delta t) = \vec{x}_i(t) + \vec{v}_i(t)\Delta t + \vec{a}_i(t)(\Delta t)^2 / 2$$

$$\vec{v}_i(t + \Delta t) = \vec{v}_i(t) + (\vec{a}_i(t) + \vec{a}_i(t + \Delta t)) \Delta t / 2$$

$$\vec{a}_i(t) = \vec{F}_i(t) / m_i = -\vec{\nabla}_i U(t) / m_i$$

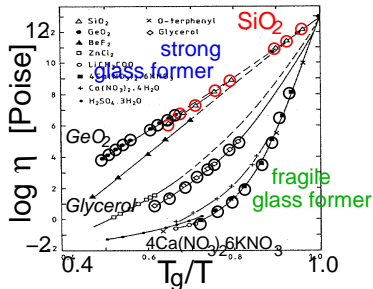
# Summary of SiO<sub>2</sub> Results



## Single Particle Jump Dynamics:

- ▶ Jump-Size and Time in Cage  $t_w$ -independent!
- ▶ Number of Jumping Particles  $t_w$ -dependent

[KVL, R. Bjorkquist, L. Chambers, PRL 2013]

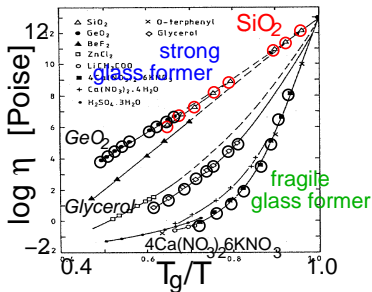
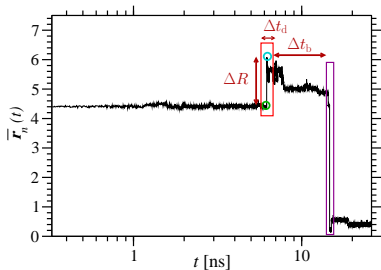


## Comparison:

compare with fragile glass former  
[Warren, Rottler],[Helfferich et al.]

Surprising similarity  
of strong and fragile glass formers

# Newest SiO<sub>2</sub> Results



## Clusters of Jumping Particles

- ▶ Cluster size distribution exponential (SiO<sub>2</sub>; 100000 particles) (summer 2014 REU: Jonathan Cookmeyer; [APS March 2015])
- ▶ Cluster size distribution power law (binary LJ; 1000 particles) ([KVL & E. A. Baker, EPL 76, 1130 (2006)])

→ Cluster Size Analysis for 100000 binary LJ