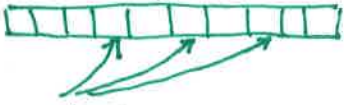


Initialization:



put car on
with probability p_{car}

$$p_{car} \approx c = \frac{N}{L}$$

$N \leftarrow \# \text{ of cars}$
 $L \leftarrow \text{lattice length ROADLENGTH}$

A. The Nagel-Schreckenberg model of highway traffic:

In the NaSch model, the speed V of each vehicle can take one of the $V_{max} + 1$ allowed integer values $V = 0, 1, \dots, V_{max}$. Suppose, X_n and V_n denote the position and speed, respectively, of the n -th vehicle. Then, $d_n = X_{n+1} - X_n$, is the gap in between the n -th vehicle and the vehicle in front of it at time t . At each time step $t \rightarrow t + 1$, the arrangement of the N vehicles on a finite lattice of length L is updated *in parallel* according to the following "rules":

$$V_{new} = \min(V_{old} + 1, V_{max}, d - 1)$$

Step 1: Acceleration. If $V_n < V_{max}$, the speed of the n -th vehicle is increased by one, but V_n remains unaltered if $V_n = V_{max}$, i.e., $V_n \rightarrow \min(V_n + 1, V_{max})$.

Step 2: Deceleration (due to other vehicles). If $d_n \leq V_n$, the speed of the n -th vehicle is reduced to $d_n - 1$, i.e., $V_n \rightarrow \min(V_n, d_n - 1)$.

Step 3: Randomization. If $V_n > 0$, the speed of the n -th vehicle is decreased randomly by unity with probability

p but V_n does not change if $V_n = 0$, i.e., $V_n \rightarrow \max(V_n - 1, 0)$ with probability p .

Step 4: Vehicle movement. Each vehicle is moved forward so that $X_n \rightarrow X_n + V_n$.

if $V_{new} > 0$
 $V_{new} \rightarrow V_{new} - 1$
 with prob p_{dec}

$$X_{new} = X_{old} + V_{new}$$

PDEC